



IDEAL

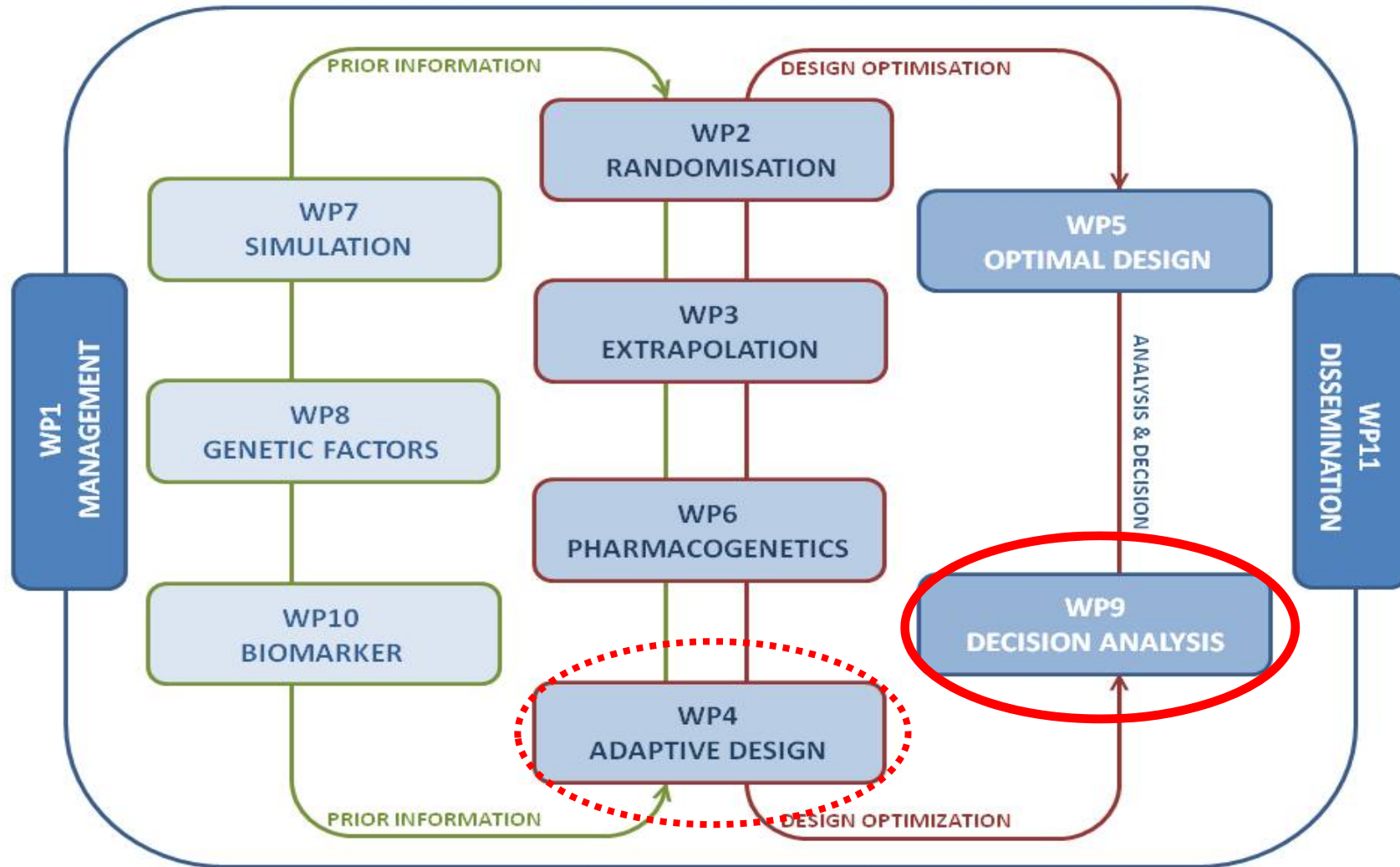
Decision Analysis (Work Package 9)

Webinar 15 November 2016

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<http://www.ideal.rwth-aachen.de>

Workpackages





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Collaborators

WP 9:

- Carl-Fredrik Burman, AstraZeneca / Chalmers Univ
- Sebastian Jobjörnsson, Chalmers
- Frank Miller, Stockholm Univ
- Sören Christensen, Chalmers

EAB: Pertile, Forster

WP4: König

INSPIRE: Ondra, Posch, Stallard

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What we're interested in

- How does (should) stakeholders make decisions on
 - Phase III investments
 - Study design
 - Market authorisation
 - Reimbursement
 - (Prescription, taking the drug)
- Can different stakeholders be aligned?
- Rare diseases and orphan drugs
- Subpopulations



Mixing scientific perspectives

- Pharmaceutical statistics
 - Frequentist hypothesis testing, power
- Bayesian decision theory
 - Priors, explicit goal functions
- Economics
 - "rational" agents, mechanism design



GENERIC MODEL



D_s

Sponsor's decision regarding Phase III

- Go / No Go
- Sample size, n
- (Sub)population(s)
- Testing strategy
- Dose(s)
- Etc.



$$D_s \rightarrow X$$

Data from the Phase III trial (programme)

- This is a random (multi-dimensional) variable
- Efficacy
- Safety



Regulatory decision

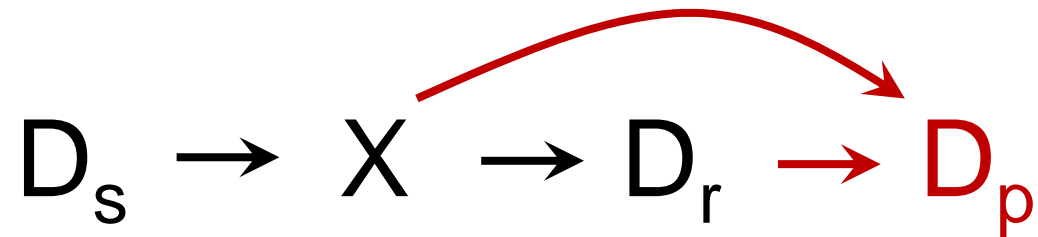
$$D_s \rightarrow X \rightarrow D_r$$

Marketing authorization decision by the regulatory agency (RA)

- Often approximated as zero/one decision (approve / non-approve)
- ... but may be qualified / restricted to a subpopulation
- Depends implicitly also on design.
- Could be different in different regions.



Payer decision

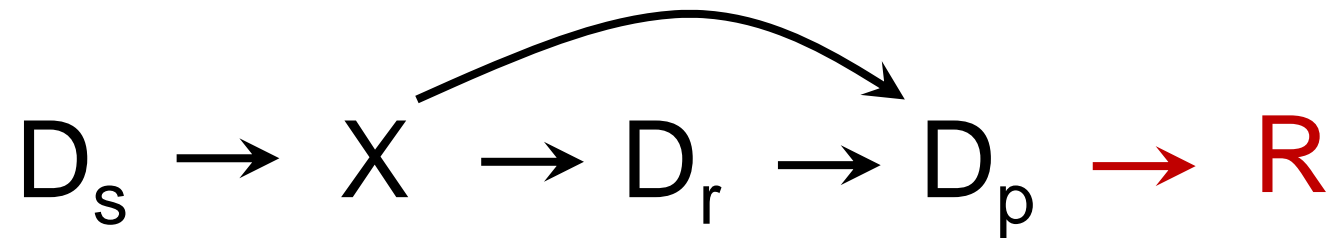


Payer decision

- Reimburse?
- Which price to accept?
 - E.g. UK's NICE has policy to pay per QaLY
- For which subpopulation(s)
- Multiple payers



Sponsor's reward

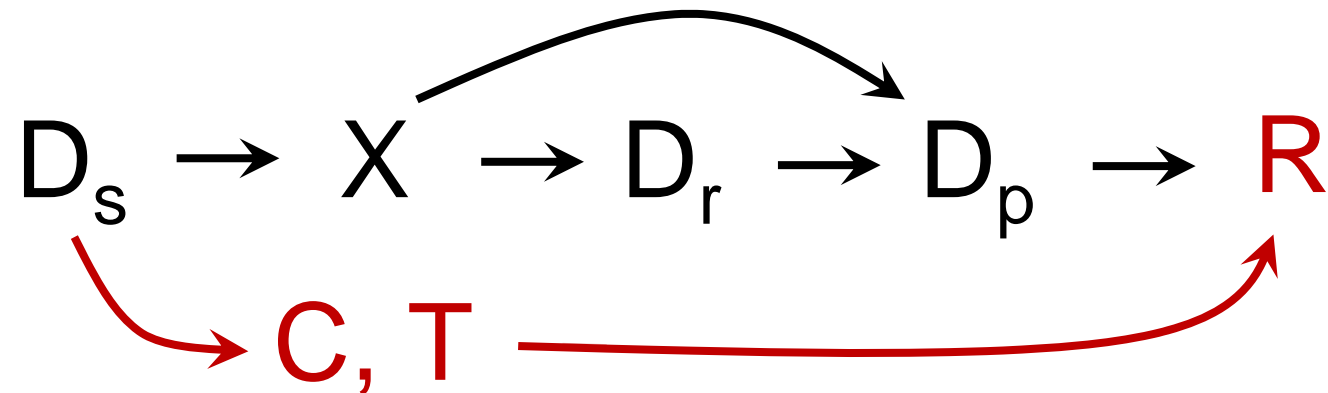


The sponsor receives a reward if the drug is approved and reimbursed

- Depends on price
- And (sub)population
 - This size of the population is of special interest to IDEAL



Sponsor's reward

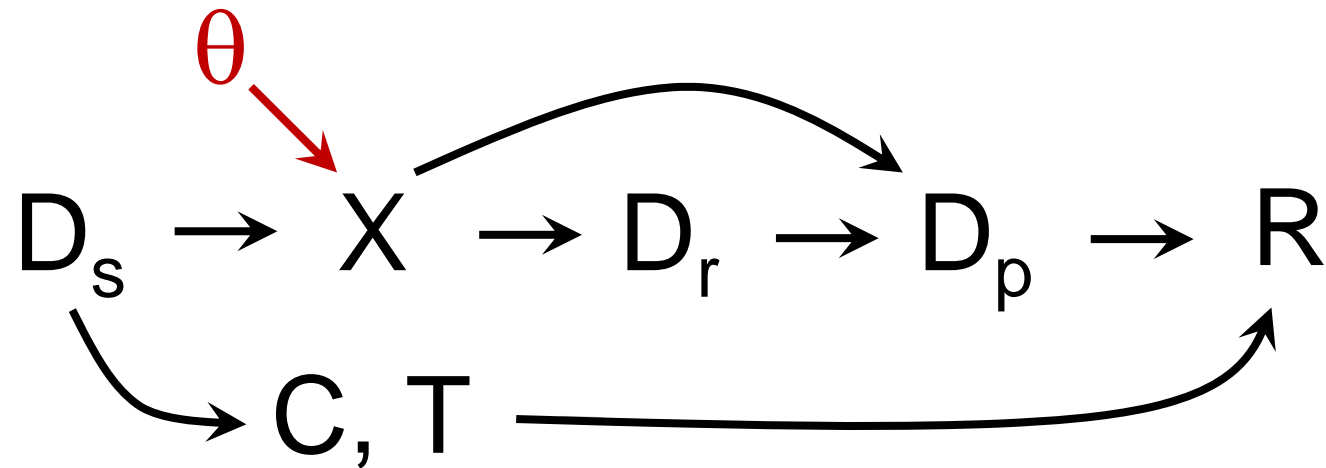


The net reward also depends on costs and time to market

- Sample size, n
- Cost $C=C(n)$
- Time $T=T(n)$



The parameter

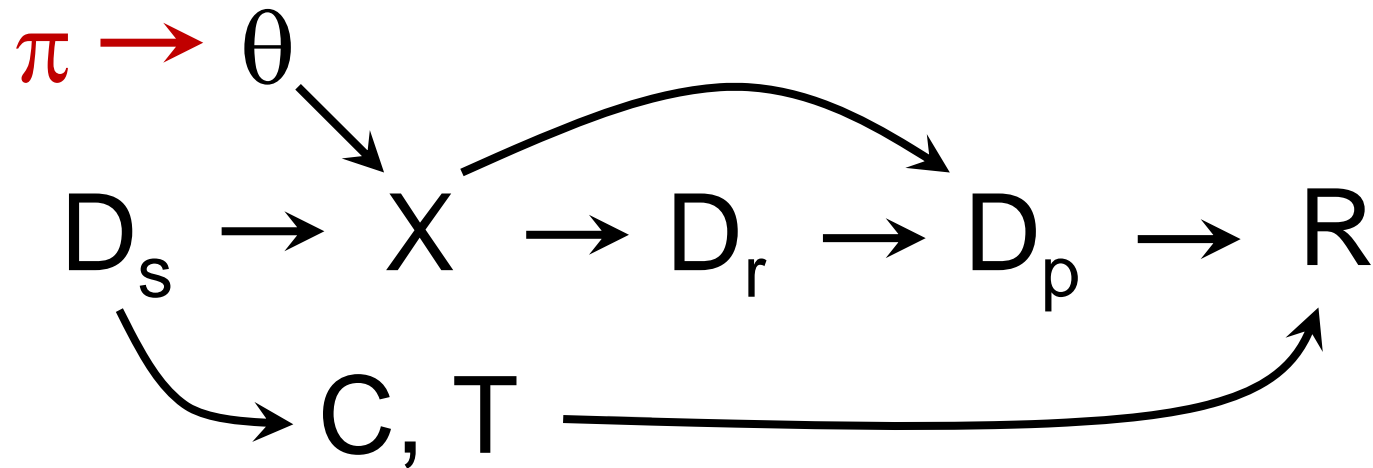


The true properties of the drug is captured in the parameter

- Efficacy
- Safety
- Multi-dimensional
- May depend on subpopulation or other covariates
- ... and the dose



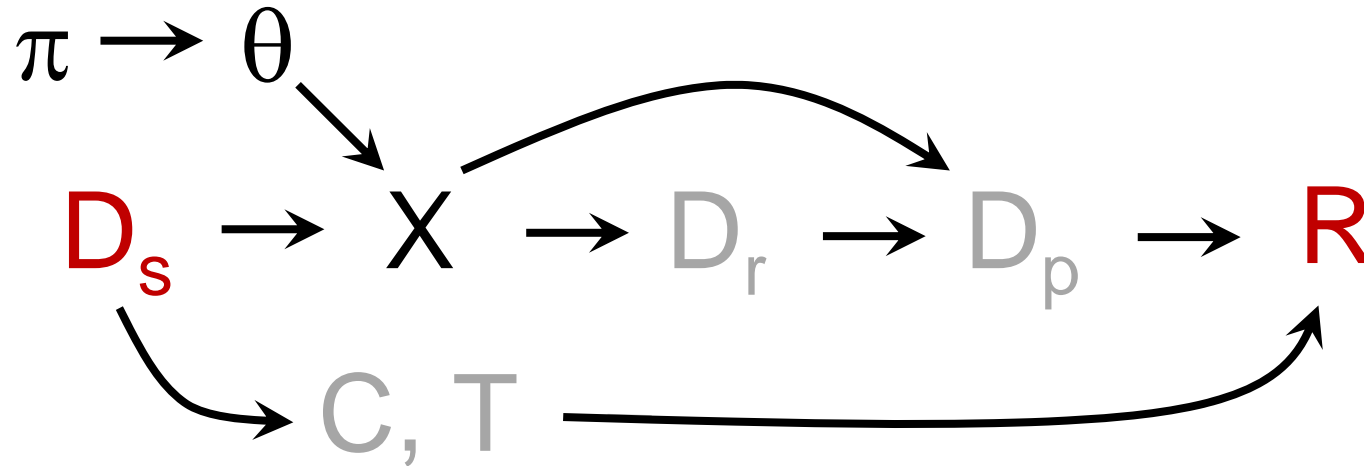
Let's be Bayesian



The parameter follows a prior distribution

- The sponsor has to base its decision on some prior information
- This is formalized as a Bayesian prior
- Choosing a 1-point prior means fixing θ
- The Bayesian approach may or may not be used by different stakeholders. May use different priors.

Optimizing the Phase III investment decision



- Take the RA and payer rules as fixed.
- Sponsor's expected reward

$$ER(D_s)$$

- Optimal decision

$$D_s^* = \operatorname{argmax}_{D_s} ER(D_s)$$

Optimal sample size

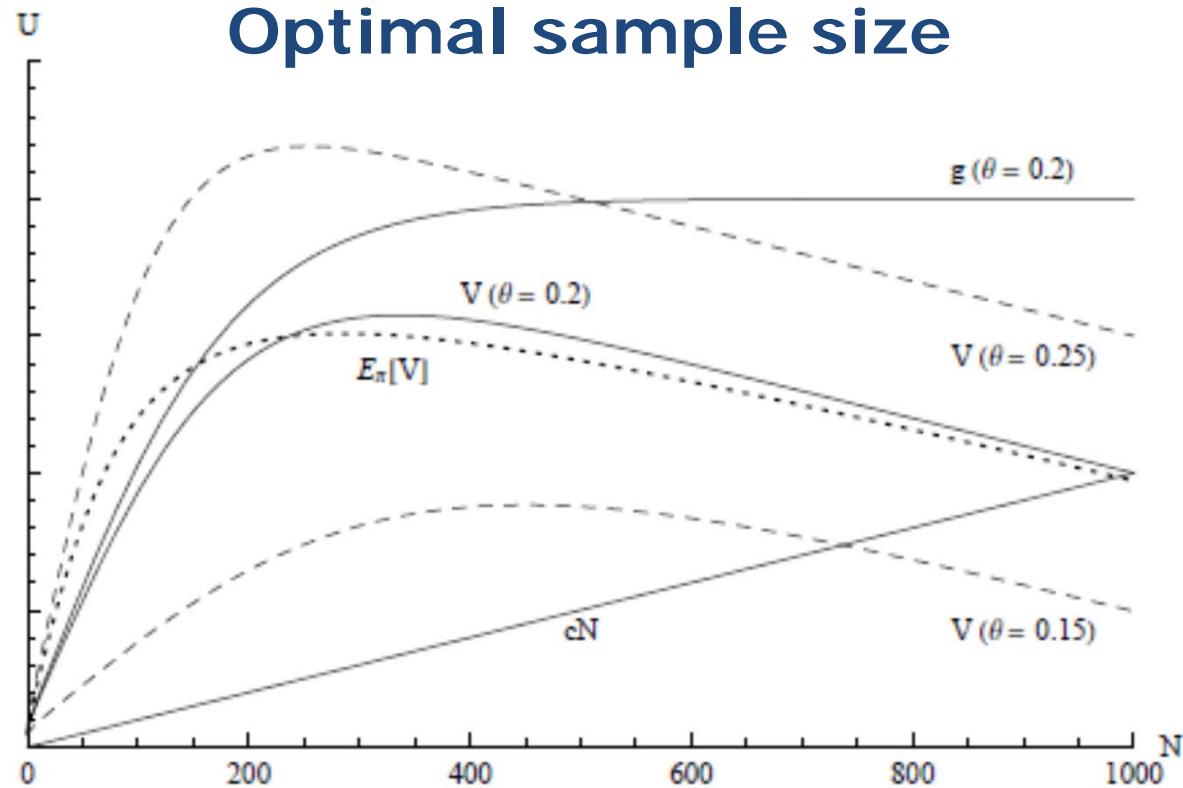
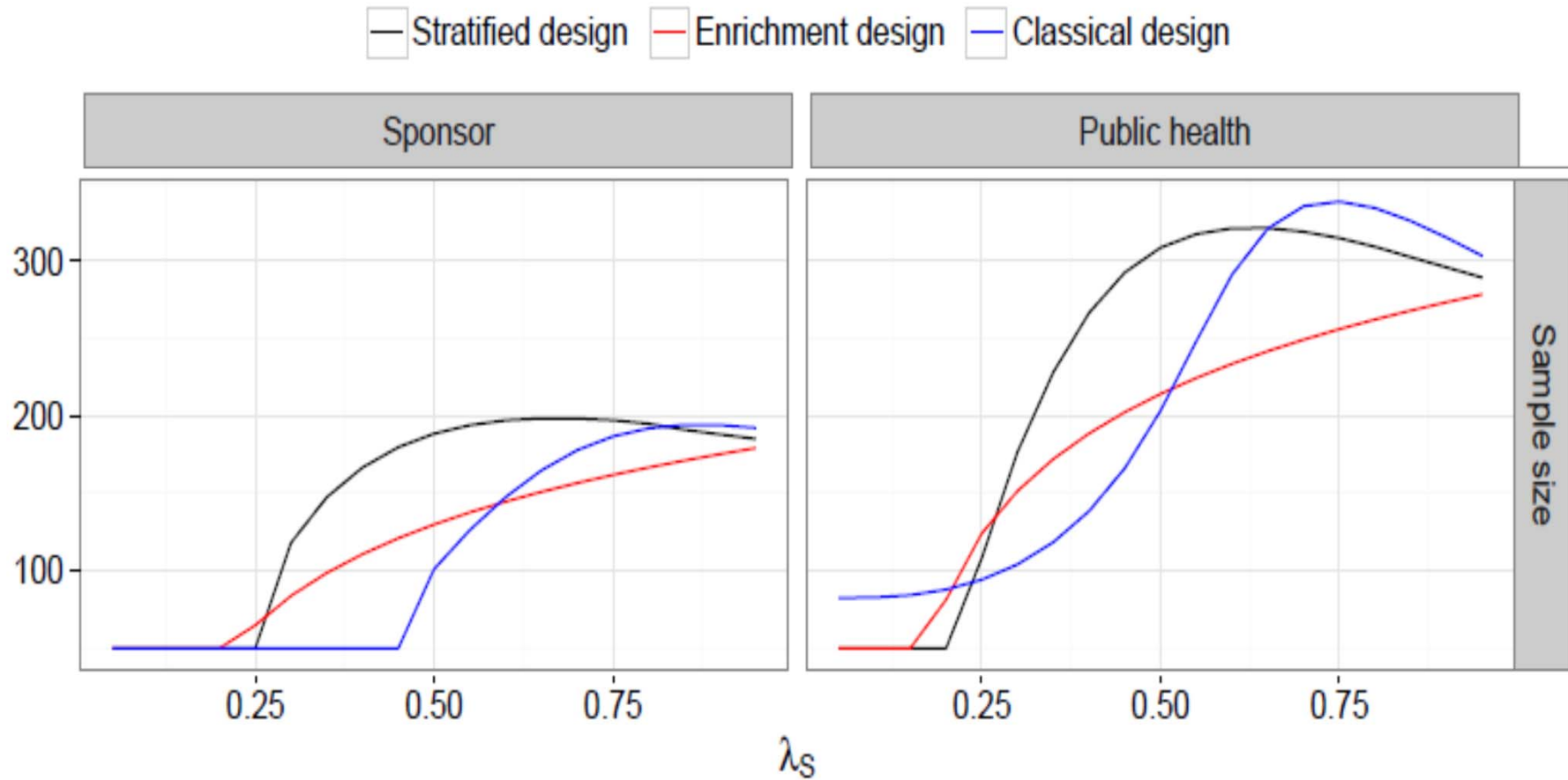


Figure 2: The utility function for some specific values of θ , and when θ follows a $\text{Normal}(0.2; 0.1)$ prior. Solid lines show the cost, expected gain $g = k \theta p(N, \theta)$ and expected net utility $V = E[U(N, \theta)]$ when $\theta = 0.2$. Dashed lines indicate a higher/lower utility if θ is higher/lower. The dotted line gives the expected utility over the prior for θ .



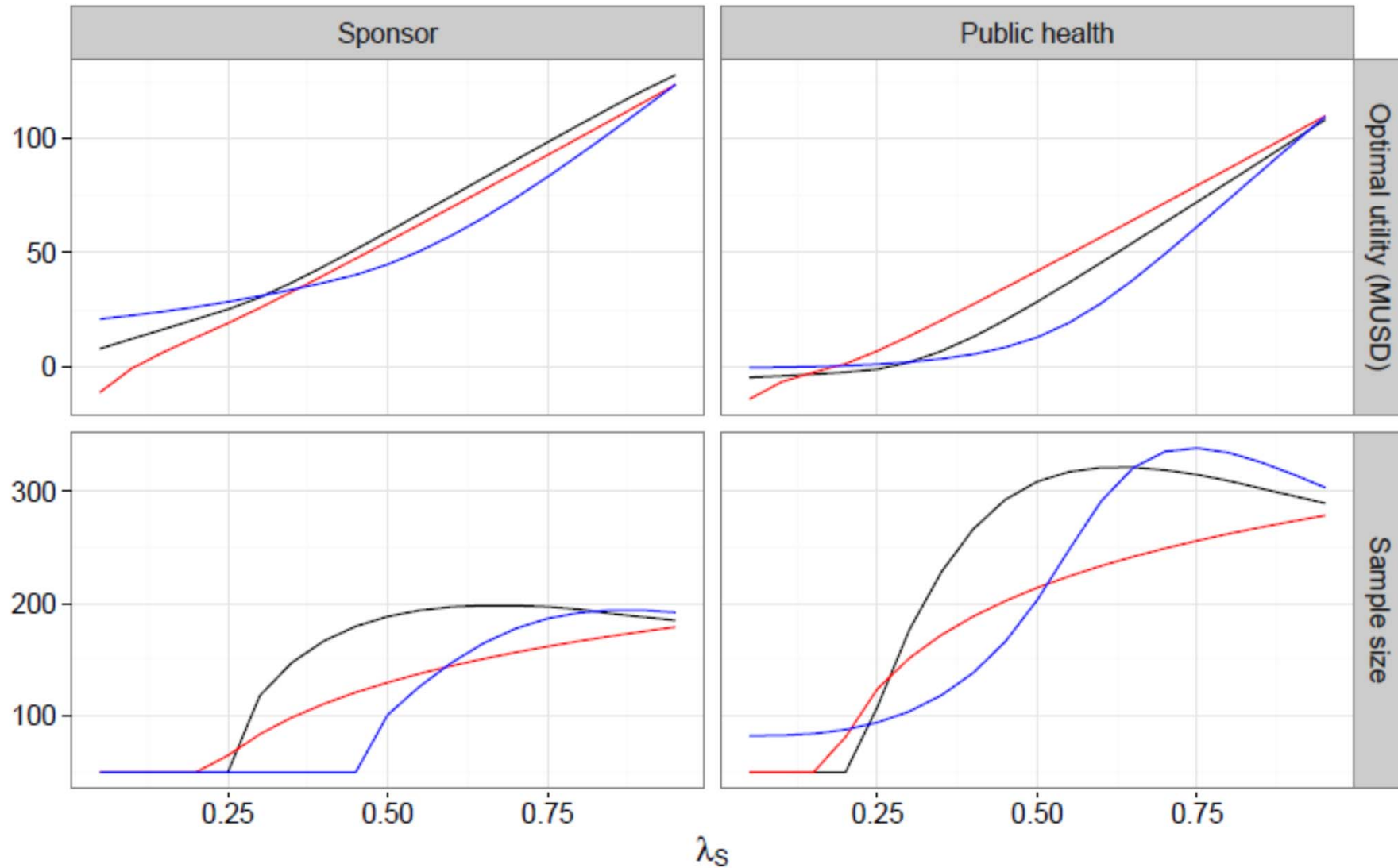
Biomarker-defined subpopulations

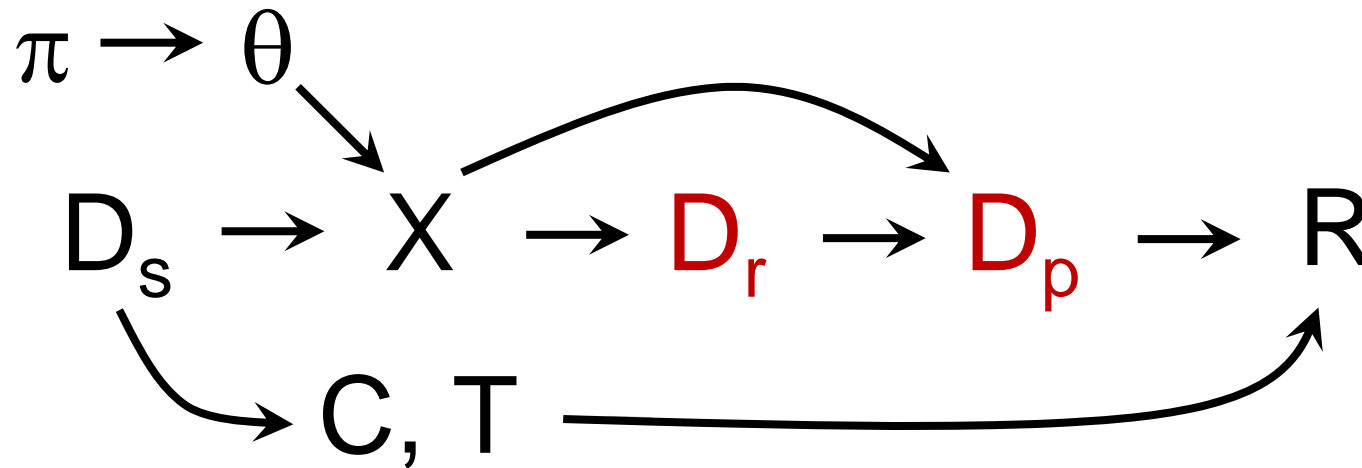




Biomarker-defined subpopulations

— Stratified design — Enrichment design — Classical design



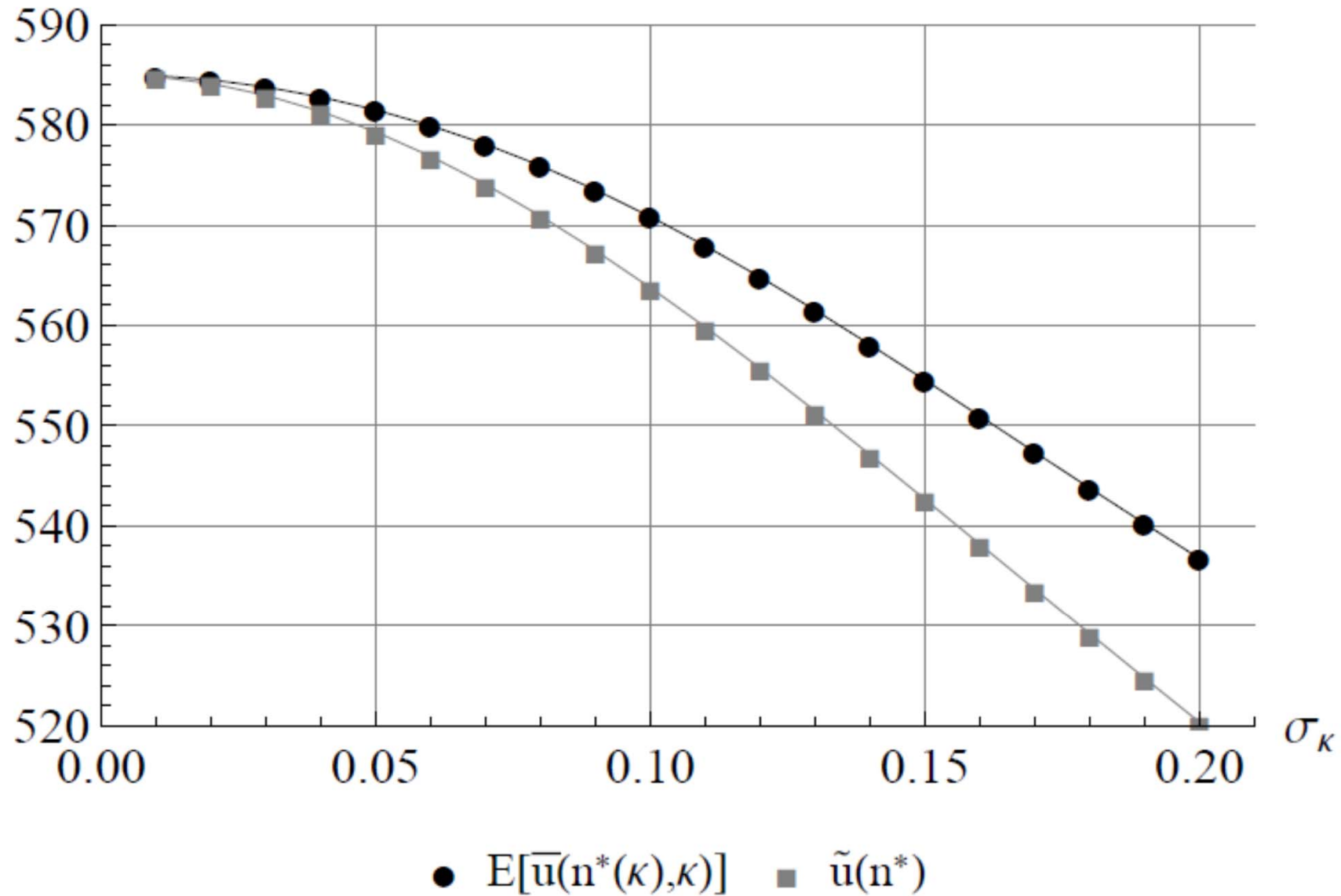


If the regulatory rule is not clearly stated?

- The sponsor has to use a prior for the rule
- What is the probability of acceptance for a certain data set?
- Such in-transparency invokes a cost for sponsors and for the patients
- Some useful drugs may never be tested in Phase III



Value as a function of uncertainty



Pricing in the face of uncertainty

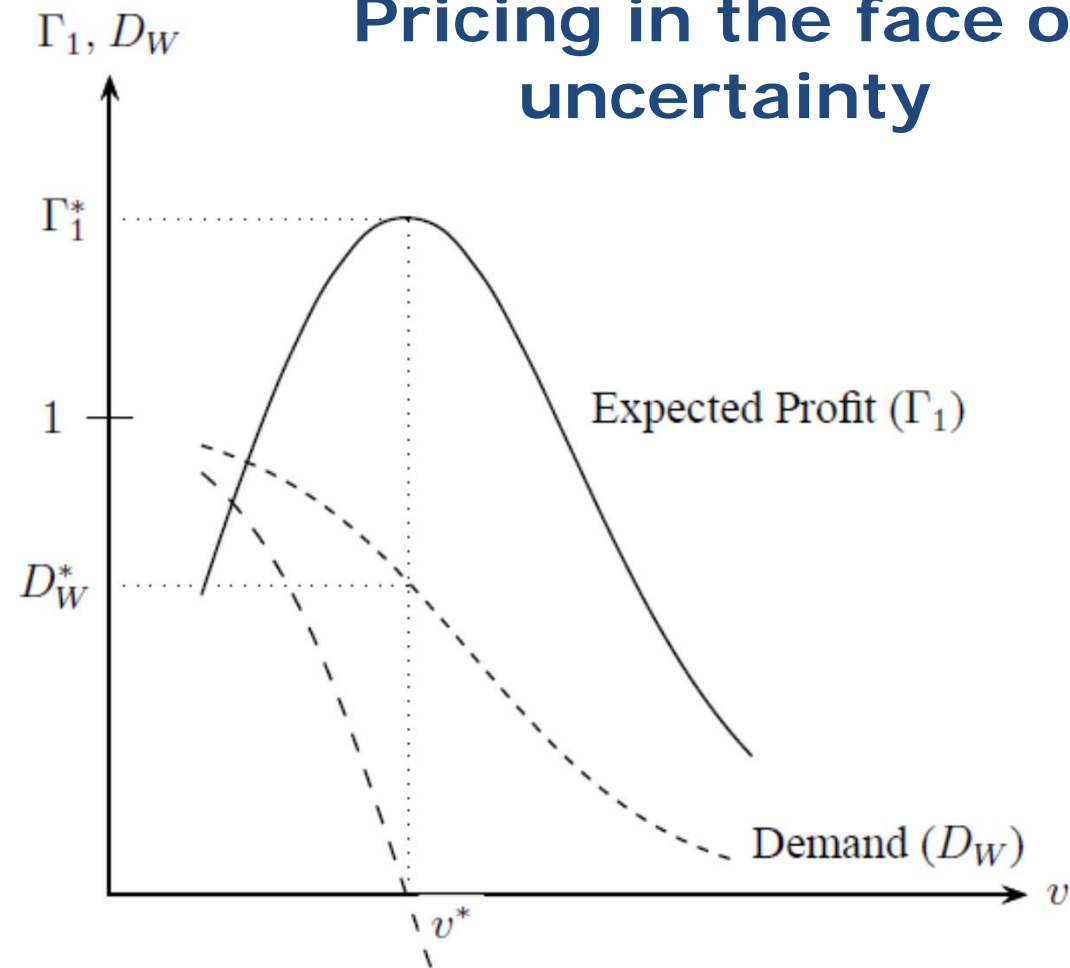
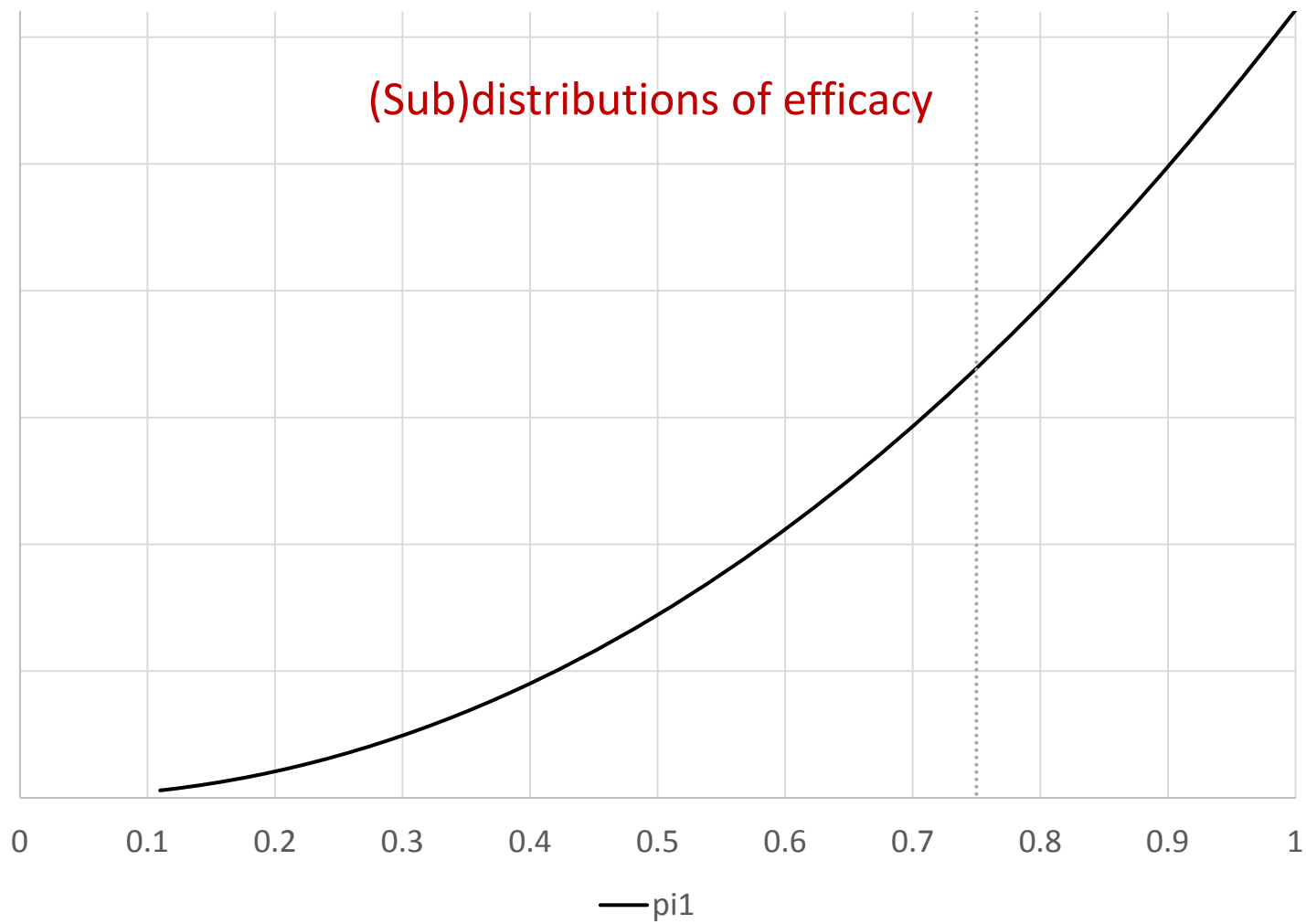
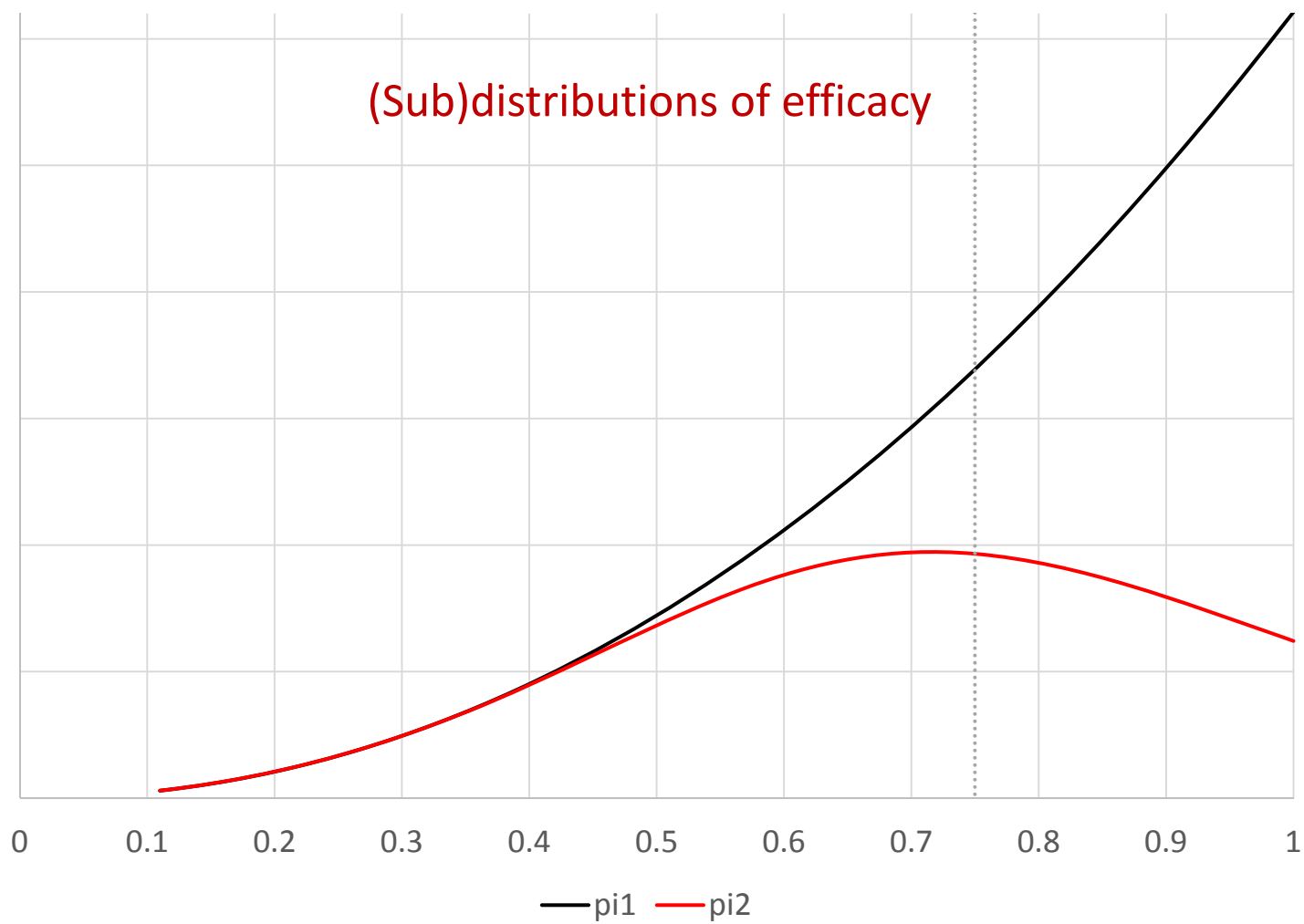


Figure 2: Expected profit function (Eq. (5), continuous line), expected demand function $D_W(\cdot) \equiv 1 - F_W(v; m, s)$ (short dash) and the LHS of Eq. (6) (long dash) showing the optimal choice of the ICER, v^* .



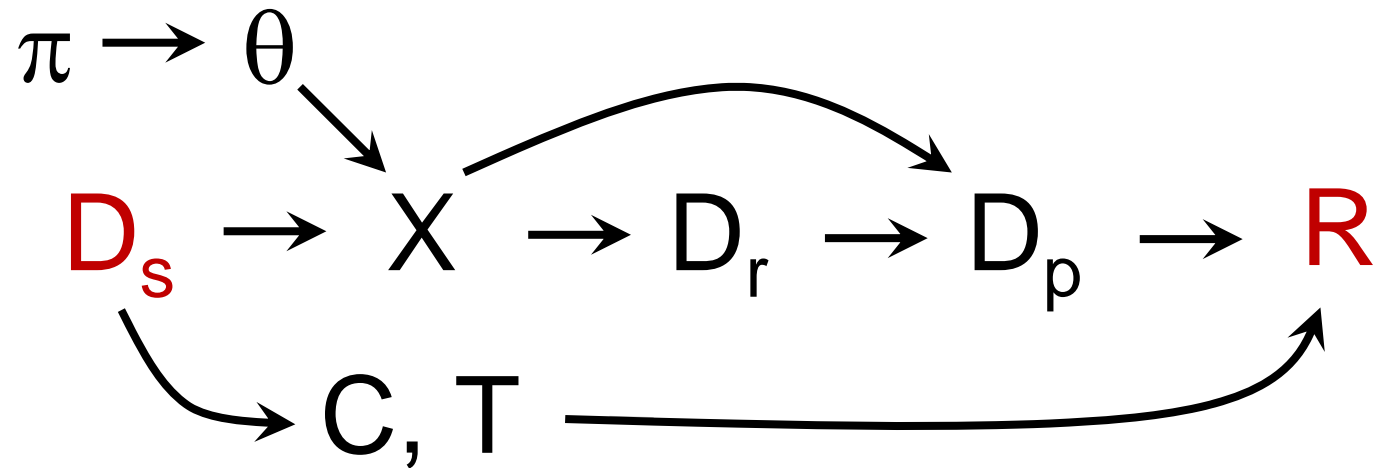
MECHANISM DESIGN







Optimal sponsor decision

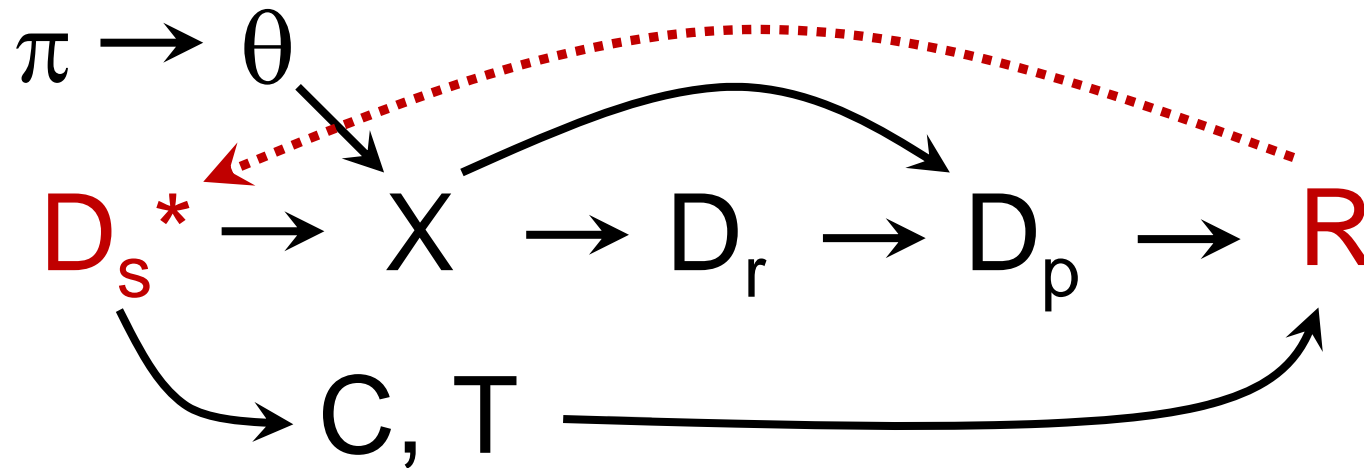


- Optimal sponsor decision

$$D_s^* = \operatorname{argmax}_{D_s} ER(D_s)$$

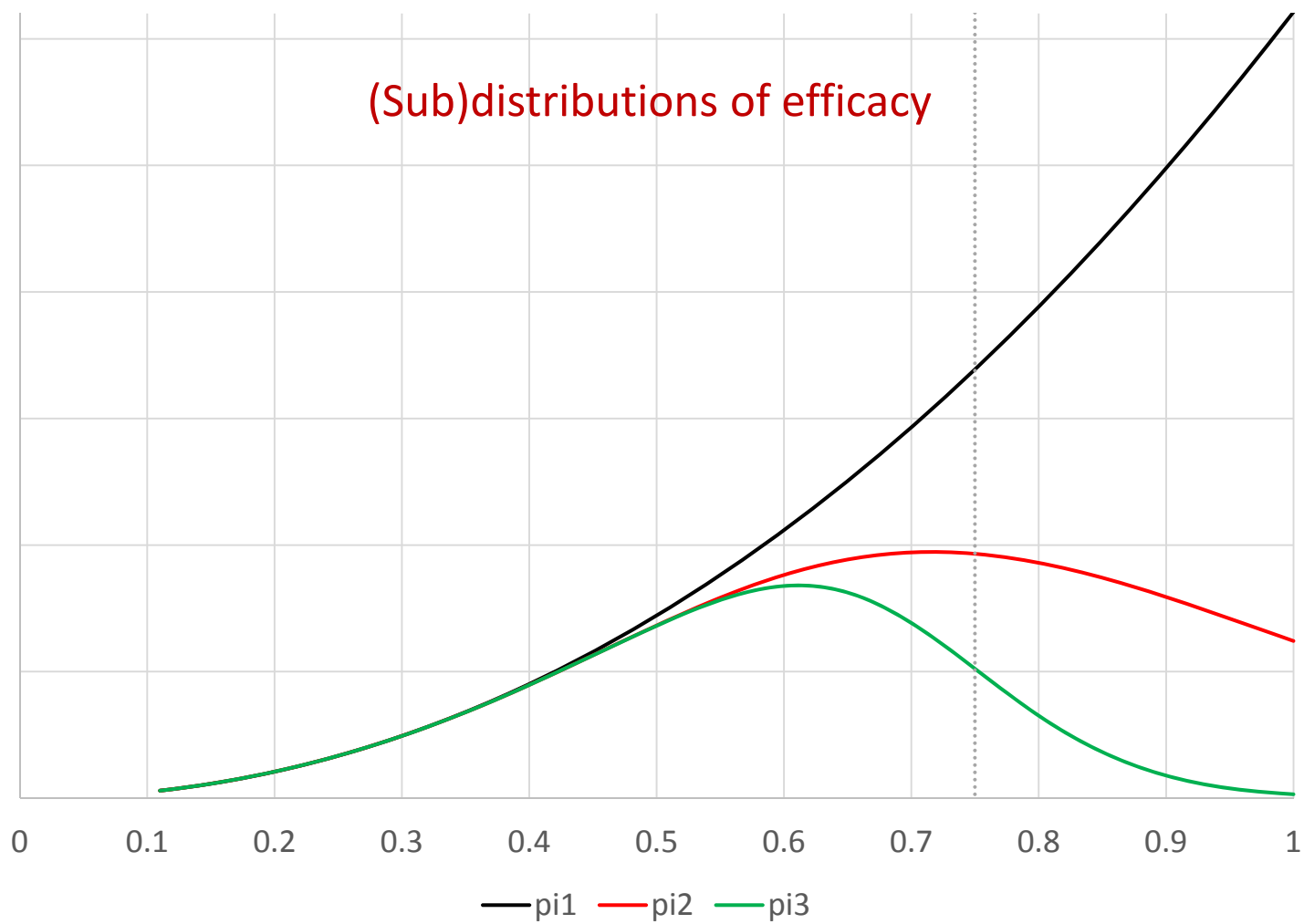


Optimal sponsor decision



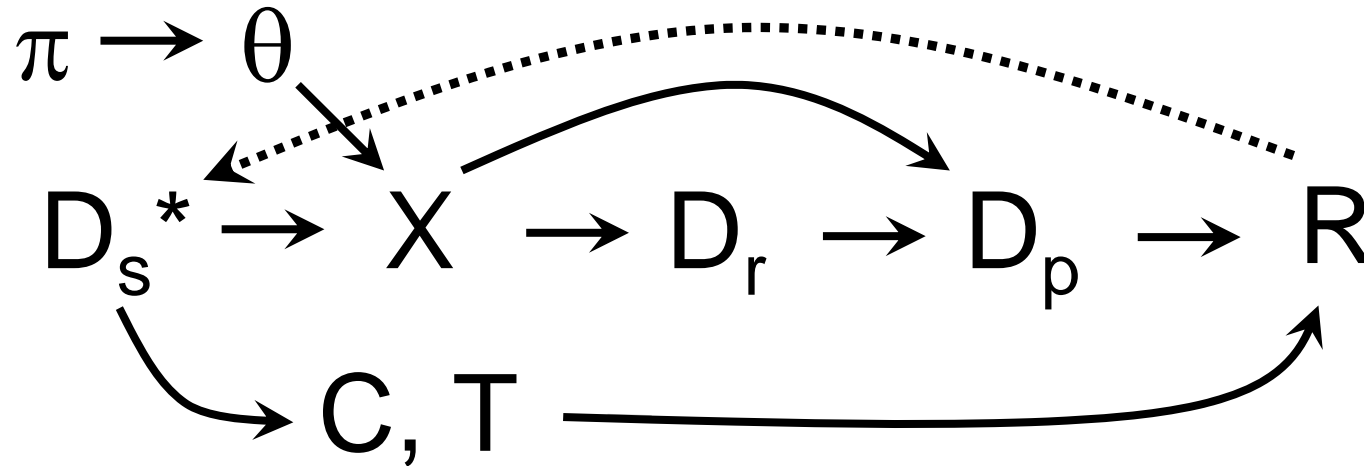
- Optimal sponsor decision

$$D_s^* = \operatorname{argmax}_{D_s} ER(D_s, D_r, D_p)$$





Optimal sponsor decision



- Optimal sponsor decision

$$D_s^* = \operatorname{argmax}_{D_s} ER(D_s, D_r, D_p)$$

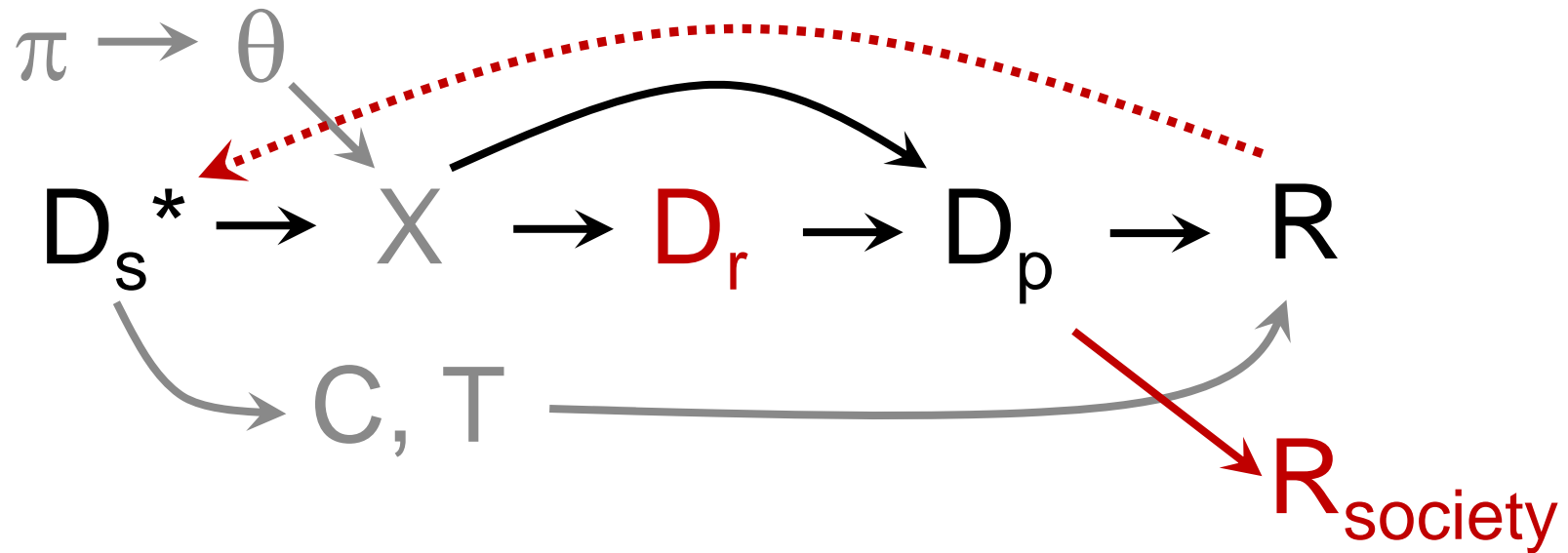
- Note that

$$D_s^* = D_s^*(D_r, D_p)$$

- For simplicity, focus on D_r but not D_p



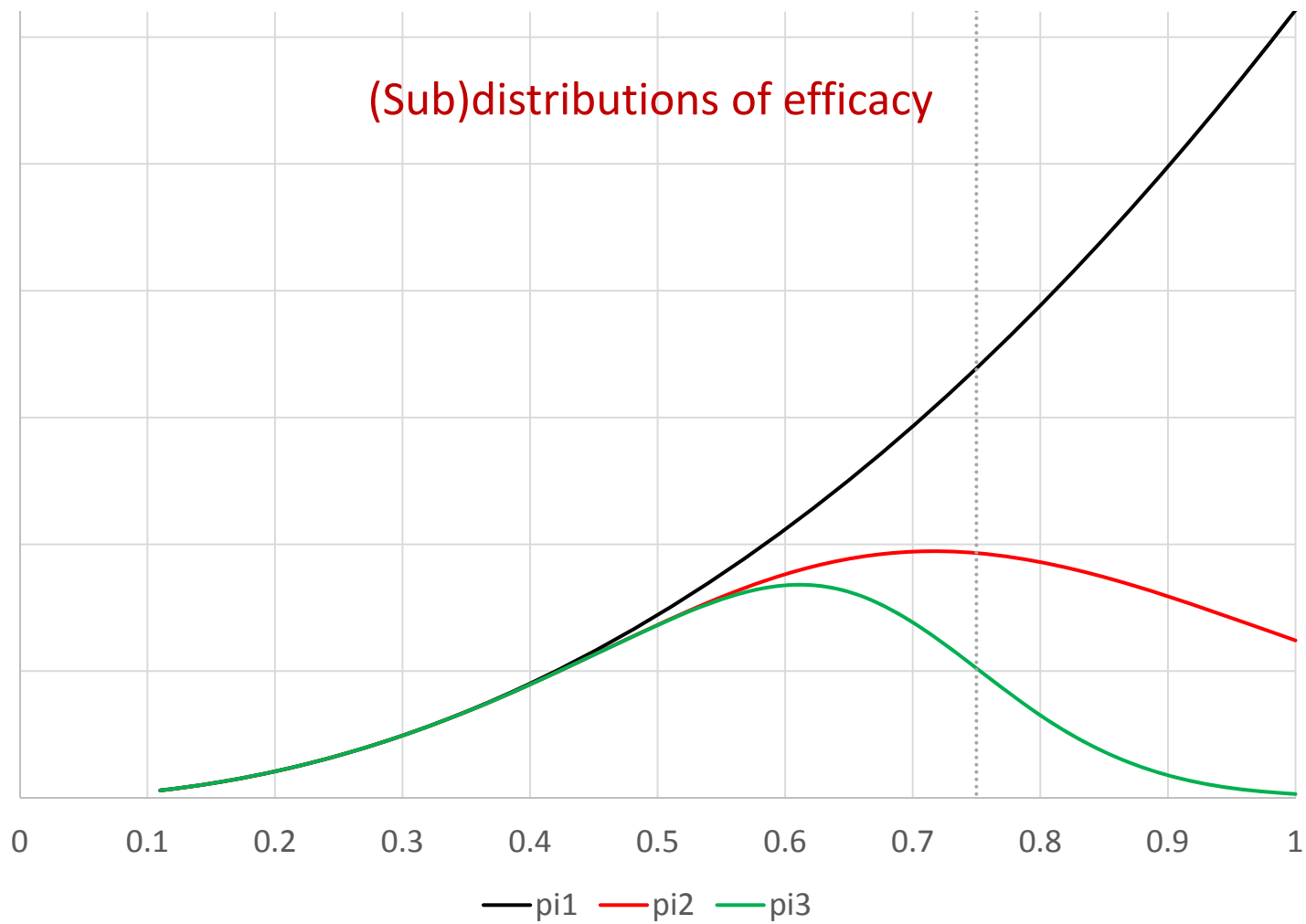
How to optimally choose the regulatory rule?

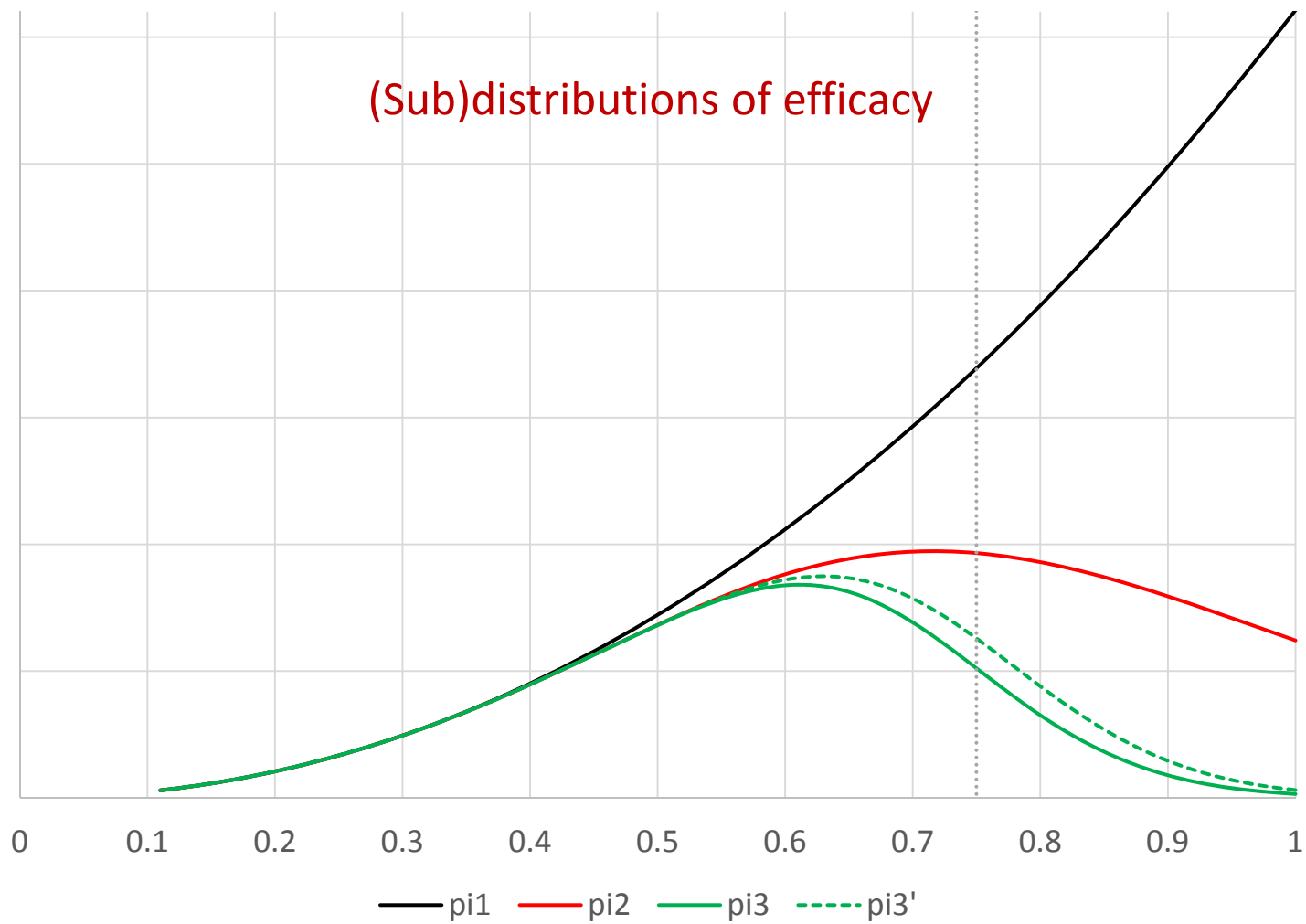


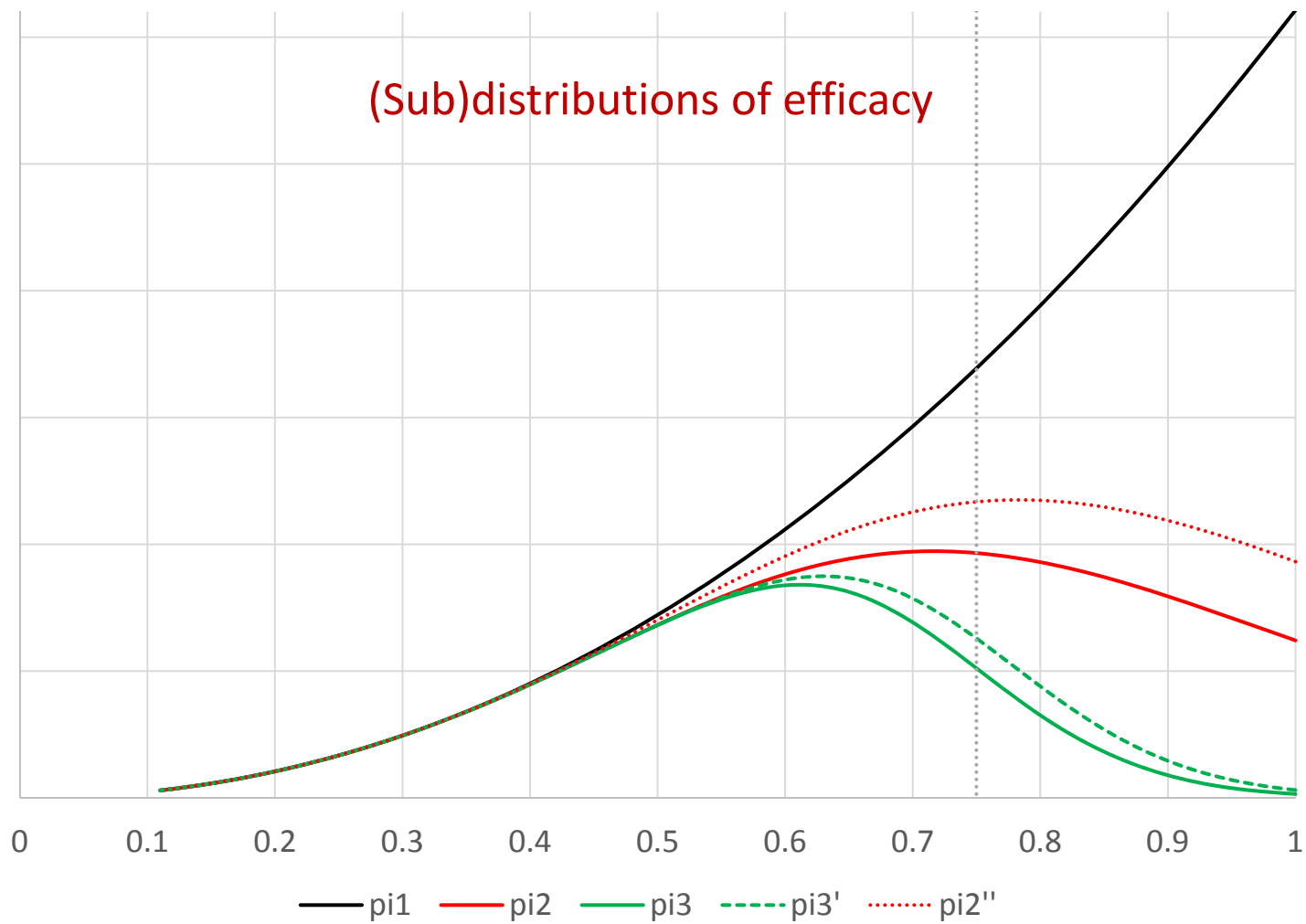
- Recall $D_s^* = D_s^*(D_r)$
- Expected societal value

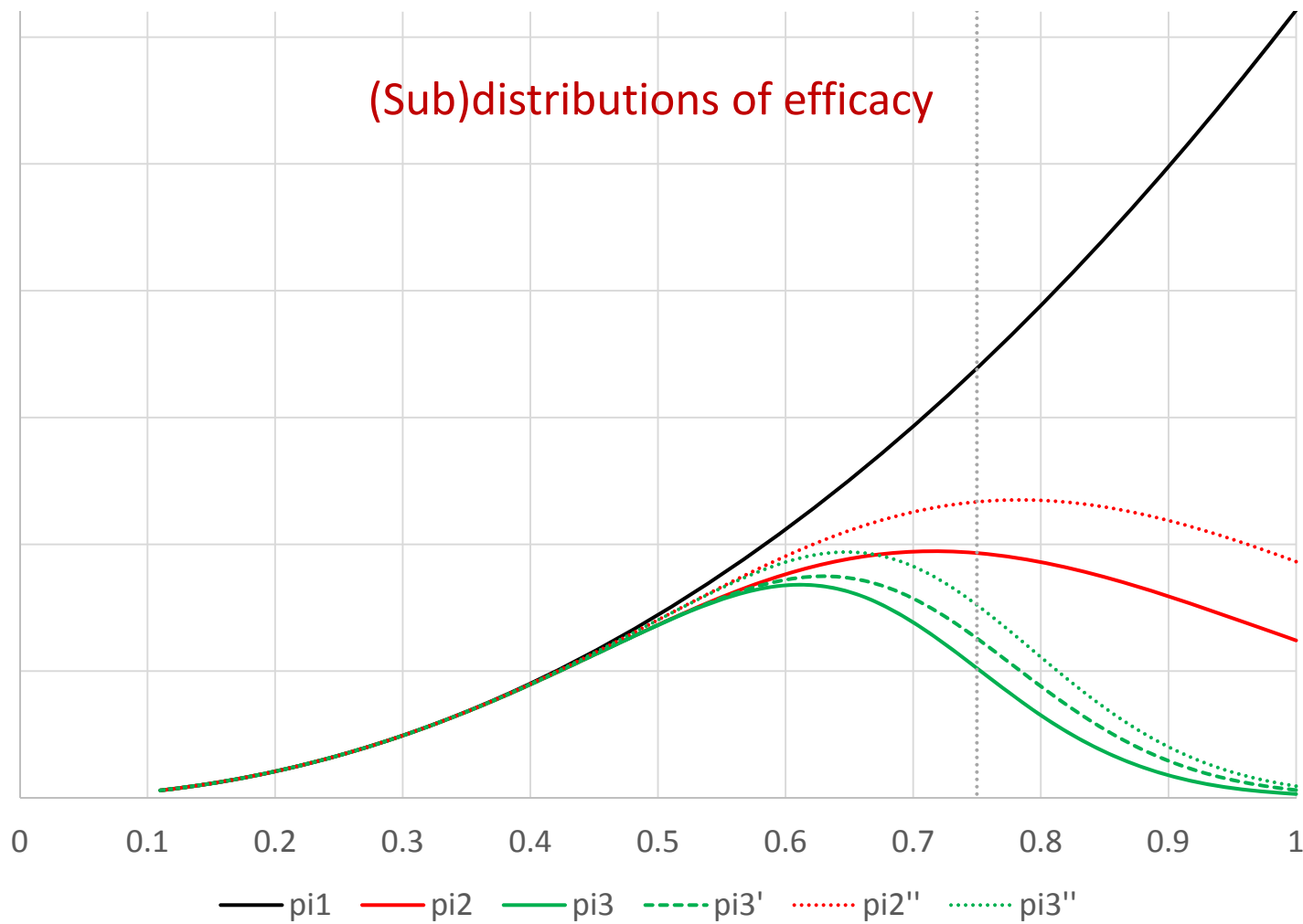
$$ER_{\text{society}}(D_s^*(D_r), D_r)$$

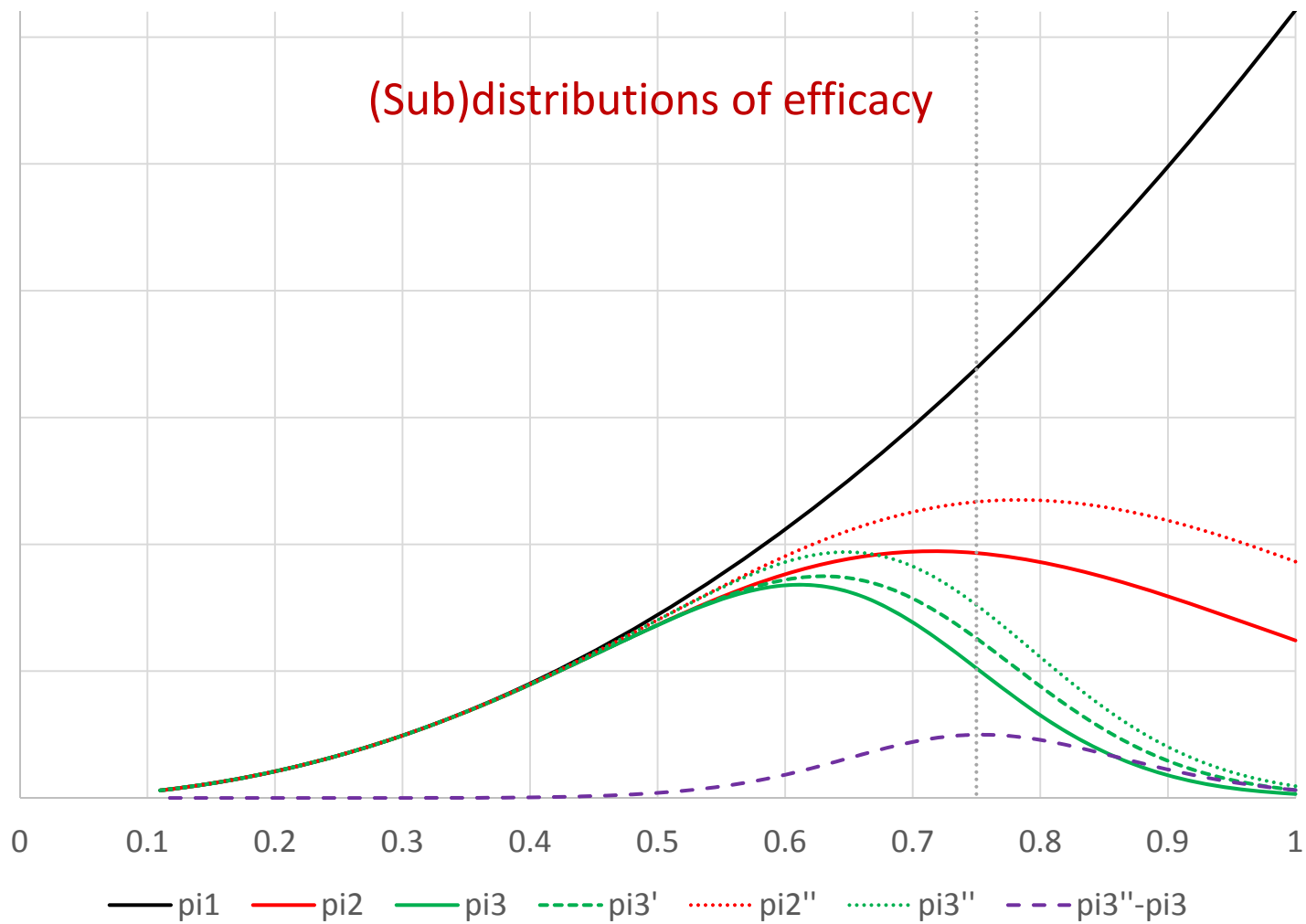
- Choose optimal D_r^* to get maximal expected societal value











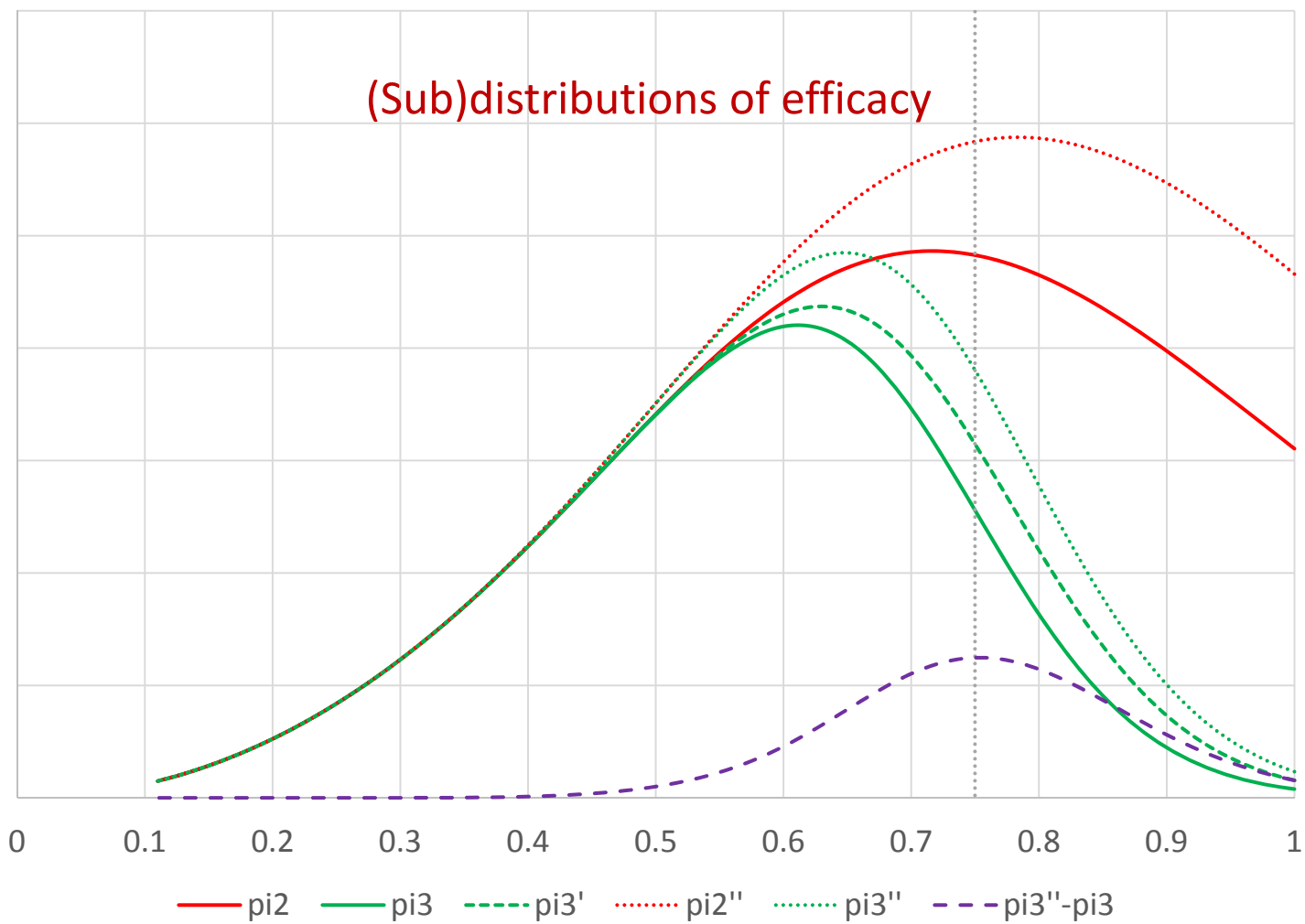
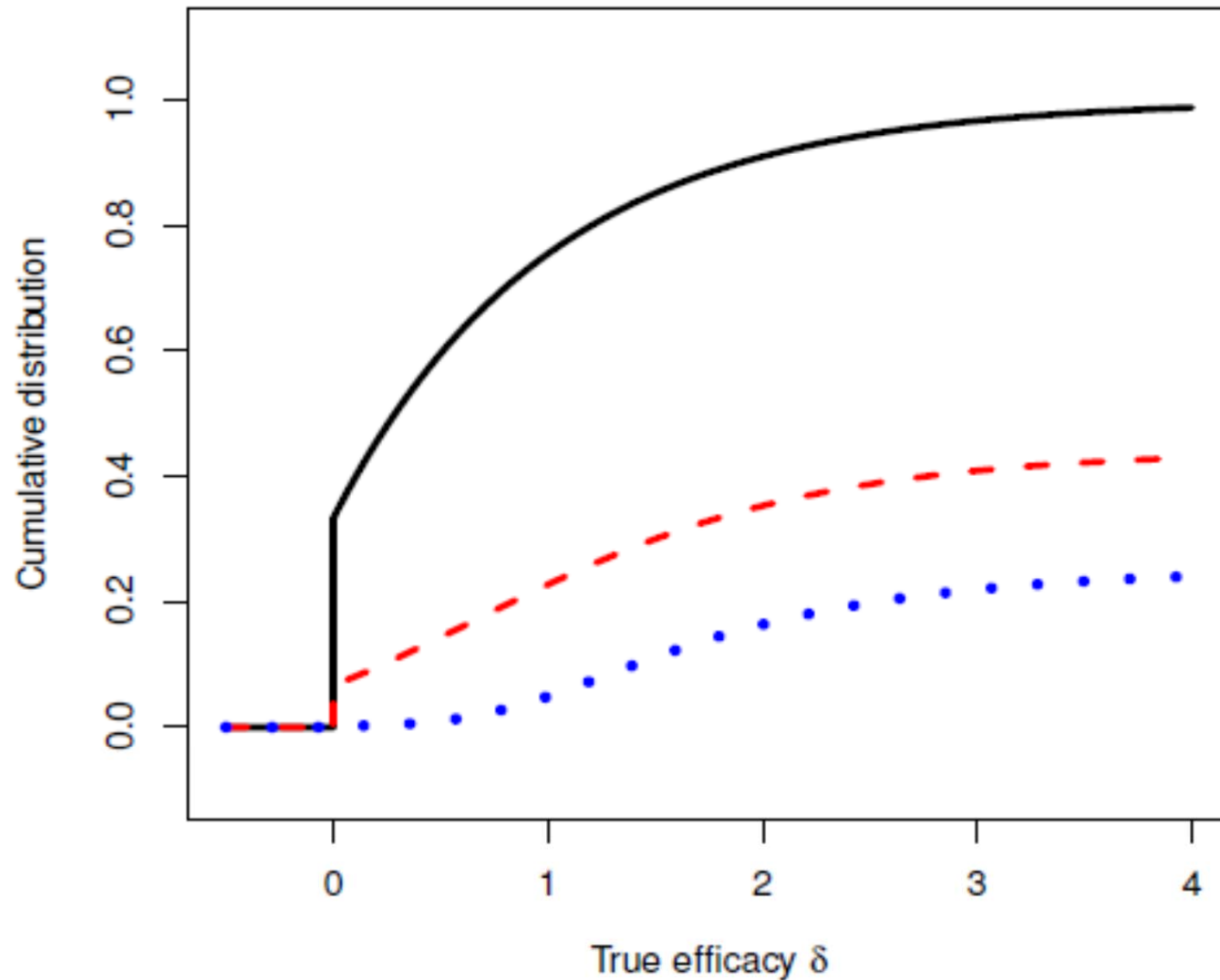


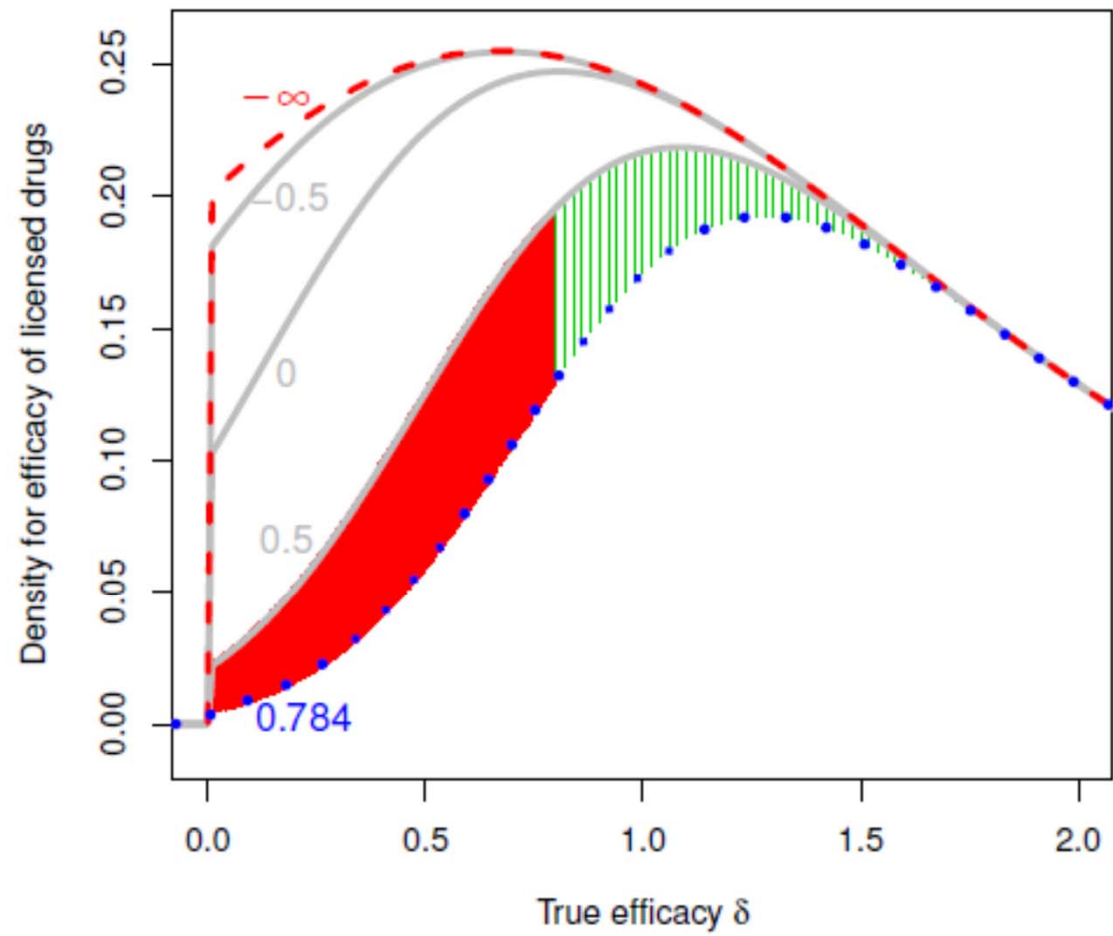
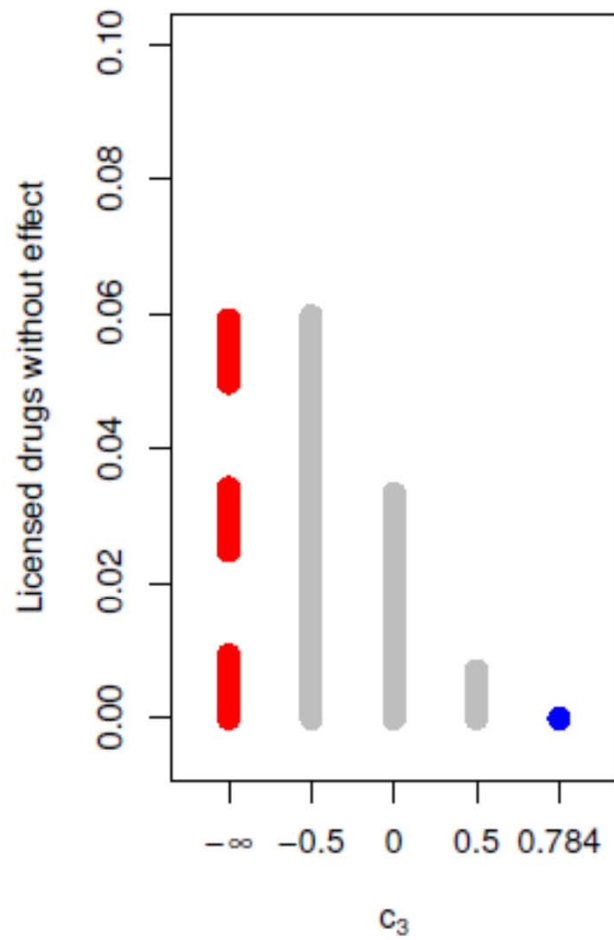


Table 1: Efficacy-distribution of drugs remaining during development process

Stage	Efficacy-distribution
Phase II	$\pi_1(\delta)$
Phase III	$\pi_2(\delta) = \int_{-\infty}^{\delta} \Phi((x - c_2)/\sigma_2)\pi_1(\partial x)$
Licensed	$\pi_3(\delta) = \int_{-\infty}^{\delta} \Phi((x - c_3)/\sigma_3) \cdot \Phi((x - c_2)/\sigma_2)\pi_1(\partial x)$

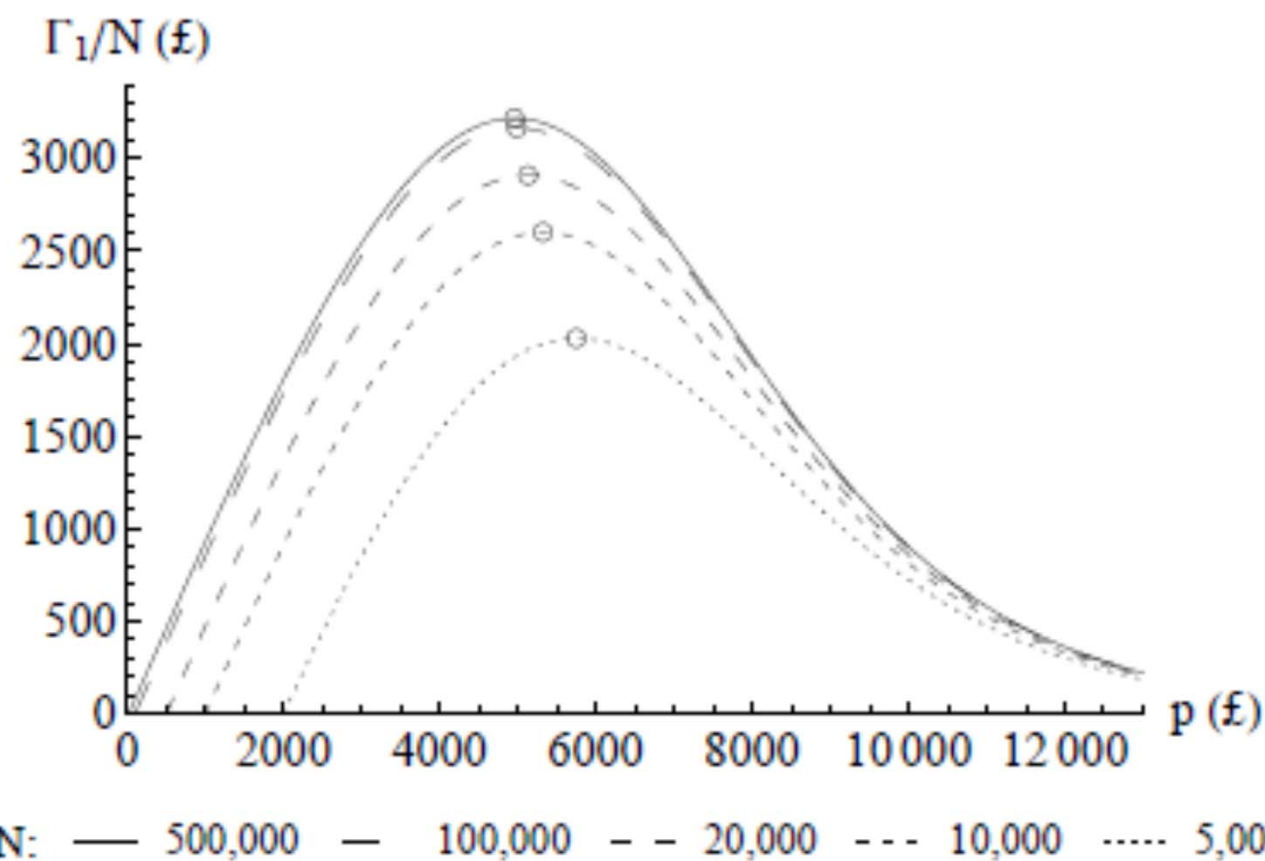
Distribution of drugs Before and **after** Phase III and **approved**







PRICING



(a) Stage 1 expected profit per patient to benefit, (Γ_1/N), as a function of the HTP's proposed Stage 1 price, p , for different values of N . Circles indicate maxima.



Conclusions

- "Rational" sponsors base investment decisions on regulatory and payer rules
- Society (RA+payer) should take such incentives into account when optimizing regulatory requirements and willingness-to-pay
- In-transparency in RA/payer rules carry a cost for everyone
- Optimal designs when different subpopulations exist depends on factors such as efficacy prior and prevalence
- Optimal designs from a sponsor and societal perspective may differ substantially
- Everything else fixed, it is optimal for society to lower the regulatory requirements and pay more for orphan drugs



References

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- Jobjörnsson. R-package BDPOPT, (2015).



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